

# Integration of an ‘Eco-hydrologic Component’ to a Generic Gridding Engine for 2D Modeling of Earth-Surface Dynamics



Sai S. Nudurupati<sup>1</sup>, Erkan Istanbulluoglu<sup>1</sup>, Gregory E. Tucker<sup>2</sup>, Nicole M. Gasparini<sup>3</sup>, Eric Hutton<sup>4</sup>, Daniel Hobley<sup>2</sup> and Jordan M. Adams<sup>3</sup>

<sup>1</sup>Department of Civil and Environmental Engineering, University of Washington, Seattle, WA, USA

<sup>2</sup>CIRES and Department of Geological Sciences, University of Colorado, Boulder, CO, USA

<sup>3</sup>Department of Earth and Environmental Sciences, Tulane University, New Orleans, LA, USA

<sup>4</sup>Community Surface Dynamics Modeling System (CSDMS), University of Colorado, Boulder, CO, USA

## Abstract:

This presentation discusses the implementation of component-based software design in Eco-hydrologic modeling. As a first step, we present development and integration of a radiation component that uses the local topographic variables to compute shortwave and longwave radiation data over a complex terrain for modeling Eco-hydrologic dynamics. This component is integrated to a central element that develops and maintains a grid, which represents the landscape under consideration. This component communicates with various other components such as ‘vegetation component’ and ‘soil moisture component’. This component is adapted from the Channel-Hillslope Integrated Landscape Development (CHILD) Model code and has been enhanced. This study demonstrate the advantages of adopting component-based software design such as improved flexibility, interchangeability and adaptability.

## Physics:

$$\delta = [0.006918 - 0.399912 \times \cos(\Gamma) - 0.070257 \times \sin(\Gamma) - 0.006758 \times \cos(\zeta \times \Gamma) - 0.000907 \times \sin(\zeta \times \Gamma) - 0.002697 \times \cos(\beta \times \Gamma) - 0.00148 \times \cos(\beta \times \Gamma)]$$

$$\begin{aligned} \cos(\theta) &= \sin(\delta) \sin(\Lambda) \cos(S) \\ &\quad - \sin(\delta) \cos(\Lambda) \sin(S) \cos(\gamma) \\ &\quad + \cos(\delta) \cos(\Lambda) \cos(S) \cos(\omega) \\ &\quad + \cos(\delta) \sin(\Lambda) \sin(S) \cos(\gamma) \cos(\omega) \\ &\quad + \cos(\delta) \sin(\gamma) \sin(S) \sin(\omega) \end{aligned}$$

$$k_{ET} = I_s F_0 \cos \theta \quad E_0 = \frac{1}{1 + 0.033 \cos(\frac{2\pi \times DOY}{365})} \quad K_{ET-S} = \int_{\omega_{sr}}^{\omega_{er}} k_{ET}$$

$$\omega_{er} = \sin^{-1}\left(\frac{ac - b\sqrt{b^2 + c^2 - a^2}}{b^2 + c^2}\right) \quad \omega_{sr} = \sin^{-1}\left(\frac{ac + b\sqrt{b^2 + c^2 - a^2}}{b^2 + c^2}\right)$$

$\delta$ : is the declination of the earth  
 $\Lambda$ : latitude of the location  
 $S$ : local slope  
 $\gamma$ : surface aspect angle  
 $\omega$ : hour angle  
 $\Gamma$ : Day angle  
 $I_s$ : solar constant  
 $E_0$ : eccentricity correction  
 $\theta$ : solar zenith angle  
 $a = \sin(\delta) \cos(\Lambda) \sin(S) \cos(\gamma) - \sin(\delta) \sin(\Lambda) \cos(S) \sin(\omega)$   
 $b = \cos(\delta) \cos(\Lambda) \cos(S) - \cos(\delta) \sin(\Lambda) \sin(S) \cos(\gamma)$   
 $c = \cos(\delta) \sin(\gamma) \sin(S)$

Clear day direct solar radiation  $K_{dir}$  at the surface:

$$K_{dir} = K_{ET} \times f_{dir} \quad f_{dir} = \exp(-m(0.128 - 0.0541 \cos(\alpha)))$$

$$\begin{cases} 0.35 - 0.36 f_{dir} & f_{dir} \geq 0.15 \\ 0.18 + 0.82 f_{dir} & 0.065 \leq f_{dir} < 0.15 \\ 0.10 + 2.08 f_{dir} & f_{dir} < 0.065 \end{cases}$$

$f_{dir}$  is the direct solar radiation factor  
 $m$  is turbidity factor  
 $m$  is the optical air mass  
 $\alpha$  is the solar altitude

Total Incoming Shortwave Radiation: Horizontal Surface

$$K_{diff-h} = K_{ET-h} \times f_{diff} \quad f_{diff} = \begin{cases} 0.35 - 0.36 f_{diff} & f_{diff} \geq 0.15 \\ 0.18 + 0.82 f_{diff} & 0.065 \leq f_{diff} < 0.15 \\ 0.10 + 2.08 f_{diff} & f_{diff} < 0.065 \end{cases}$$

$$K_{total-h} = K_{dir-h} + K_{diff-h}$$

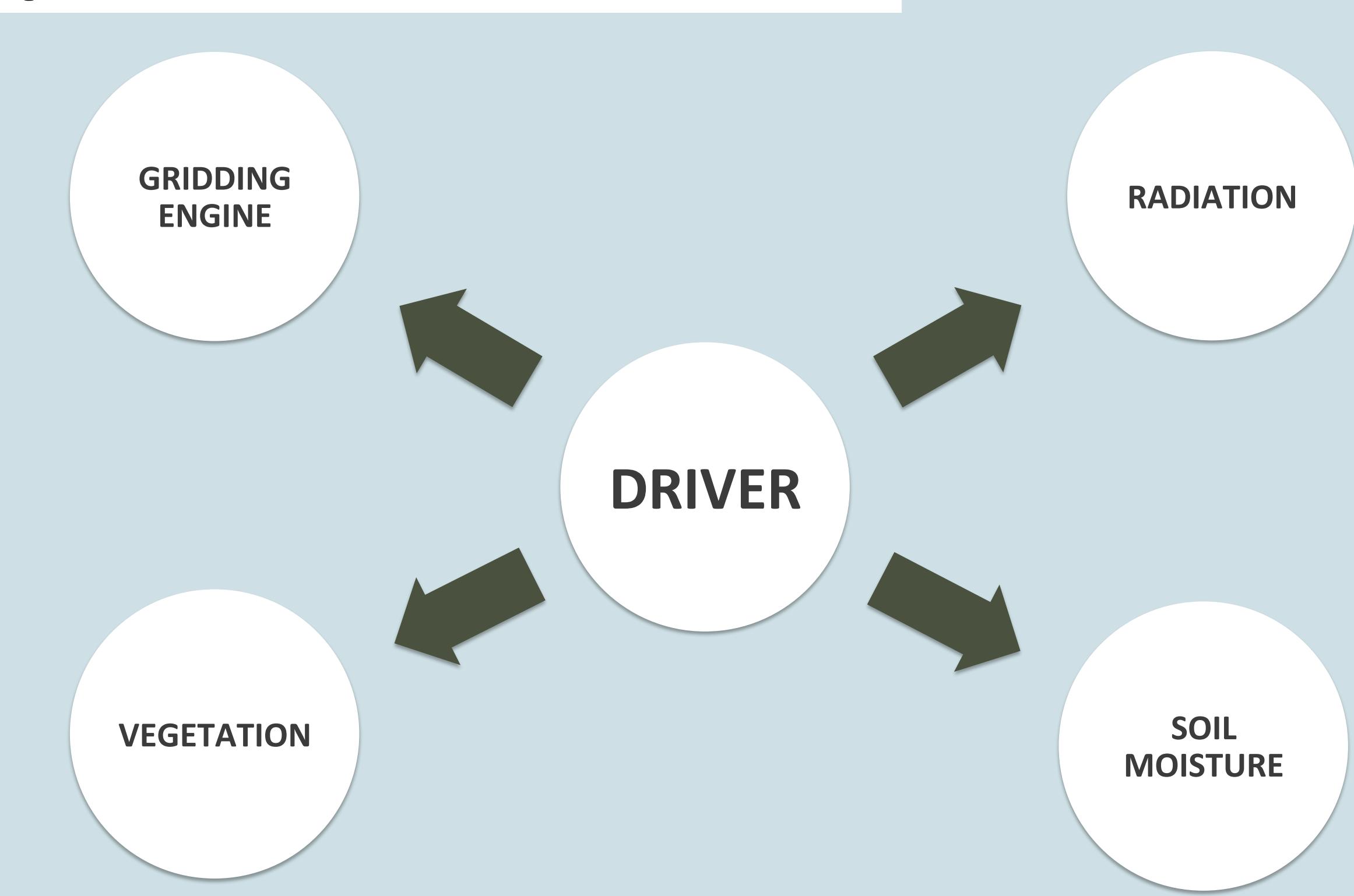
Total Incoming Shortwave Radiation: Sloping Surface

$$K_{diff-S} = K_{diff-h} \times f_{is} \quad f_{is} = 0.75 + 0.25 \tan(\theta) - \frac{0.5s}{\pi}$$

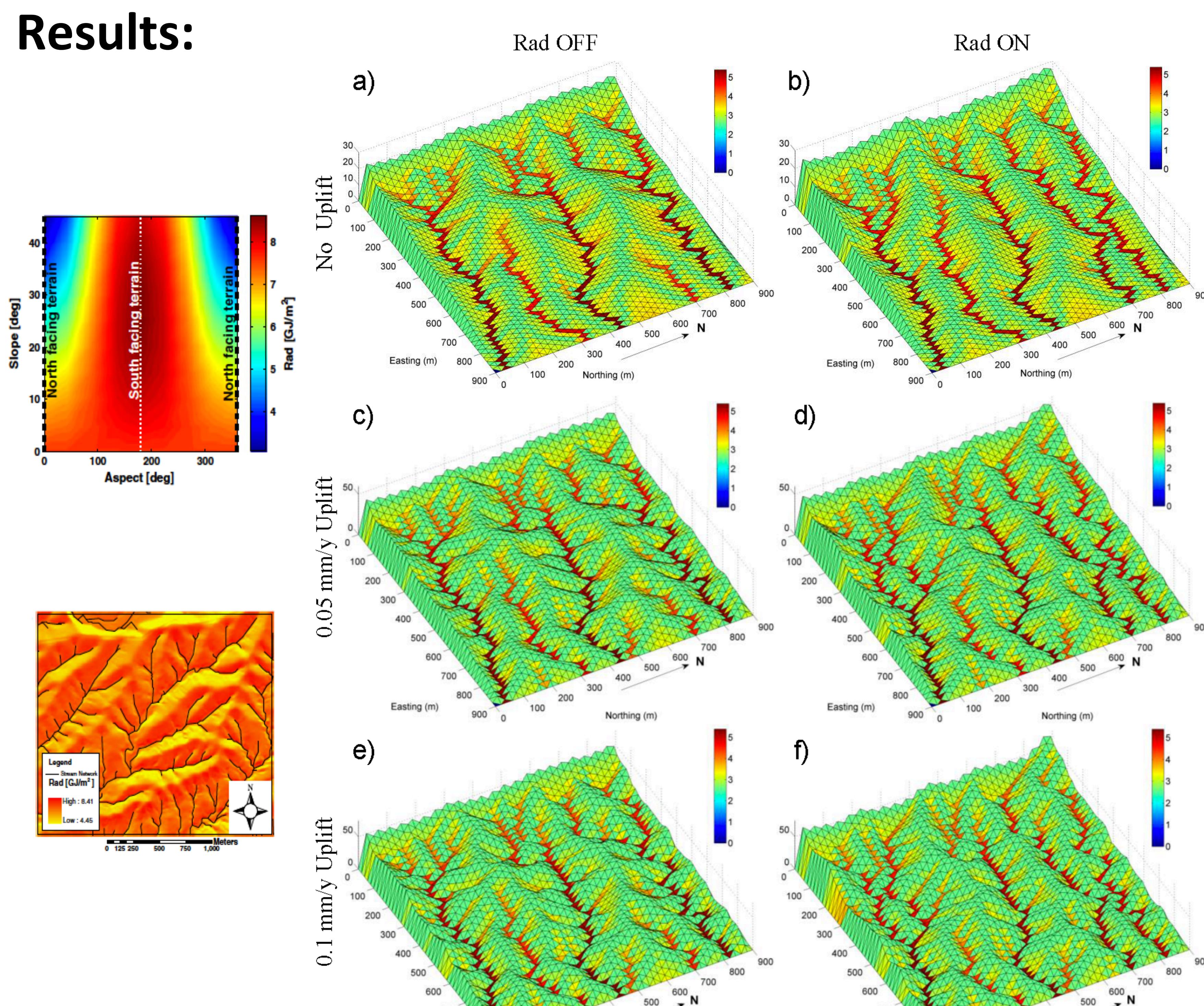
$$K_{total-S} = K_{dir-S} + K_{diff-S} + K_{ref-S} \quad K_{ref-S} = K_{total-h} \times \alpha \times (1 - f_{is})$$

$$R_{dir} = K_{total-S} / K_{total-h}$$

## C++/CSDMS Framework:

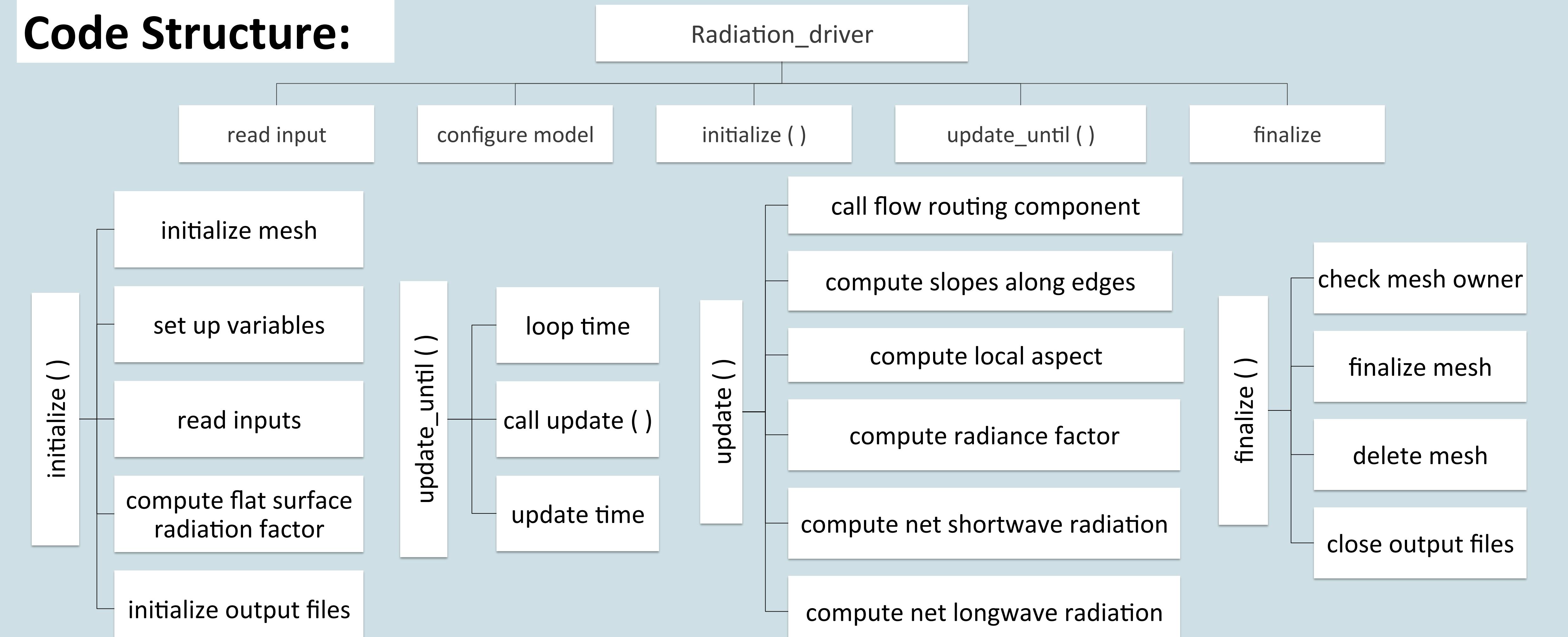


## Results:



Figures: [LEFT] Annual solar radiation for 32°N (SE Arizona Site)<sup>2</sup> [RIGHT] Simulated landscapes for uniform (Rad OFF) & spatially distributed (Rad ON) solar radiation for different uplift rates

## Code Structure:



## References:

1. Tucker, G. E., Lancaster, S. T., Gasparini, N. M., Bras, R. L., & Rybarczyk, S. M. (2001). An object-oriented framework for distributed hydrologic and geomorphic modeling using triangulated irregular networks. *Computers & Geosciences*, 27(8), 959-973.
2. Flores Cervantes, J. H., Istanbulluoglu, E., Vivoni, E. R., Holifield Collins, C. D., & Bras, R. L. (2012). A geomorphic perspective on terrain-modulated organization of vegetation productivity: analysis in two semiarid grassland ecosystems in Southwestern United States. *Ecohydrology*.
3. Tucker, G. E., Gasparini, N. M., Istanbulluoglu, E. SSE: Component-Based Software Architecture for Computational Landscape Modeling', SI2 Quad, Washington D.C. 2013.
4. Istanbulluoglu, E., & Bras, R. L. (2005). Vegetation-modulated landscape evolution: Effects of vegetation on landscape processes, drainage density, and topography. *Journal of Geophysical Research*, 110(F2), F02012.
5. Bras, R. L. (1990). *Hydrology: An introduction to hydrologic science* (p. 642). Reading, Massachusetts, USA: Addison-Wesley.